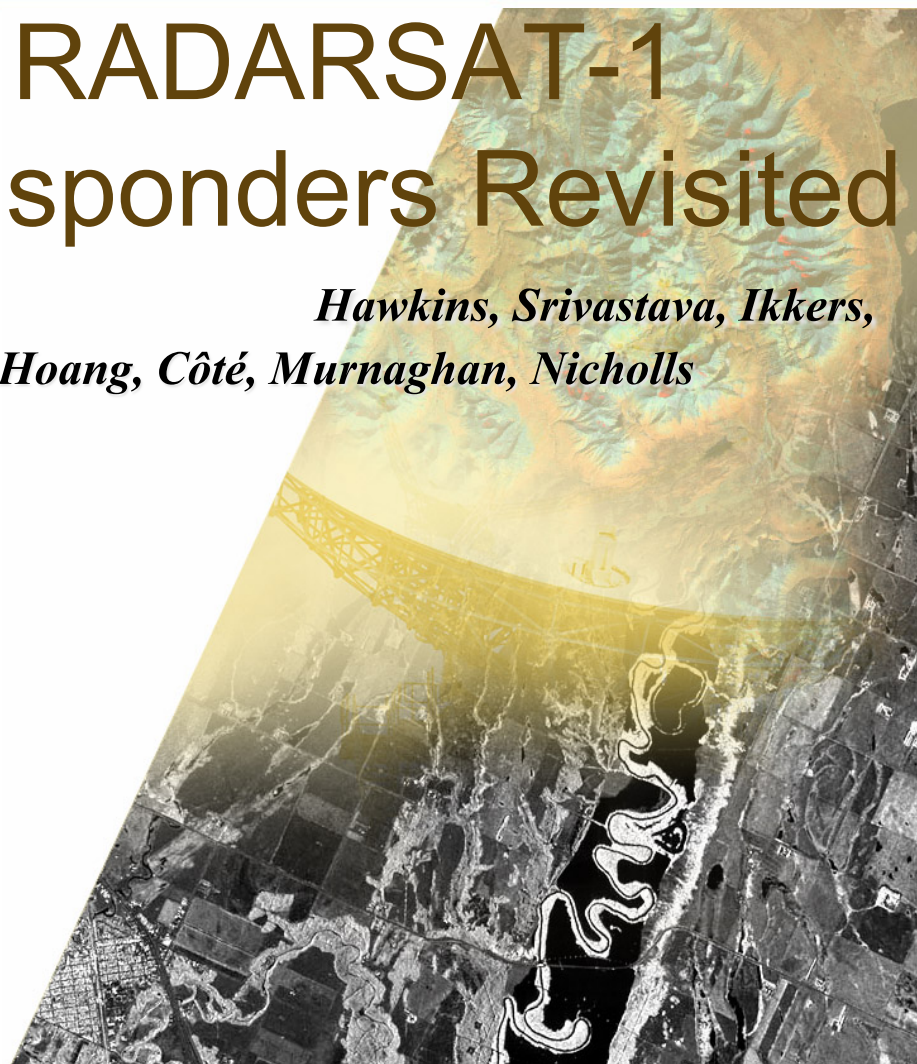




RADARSAT-1 Transponders Revisited

*Hawkins, Srivastava, Ikkers,
Hoang, Côté, Murnaghan, Nicholls*



Some Context



- **Four Transponders (ARCs) build by MPB Technologies, Montreal, 1995**
- **Design principles and system based on ESA/ ESTEC system built for ERS-1**
- **Some extensions for Canada and RS-1**
 - Temperatures
 - Snow
 - Polarization
 - Centre Frequency and BW
- **In continuous operations for 14 years**

Specifications

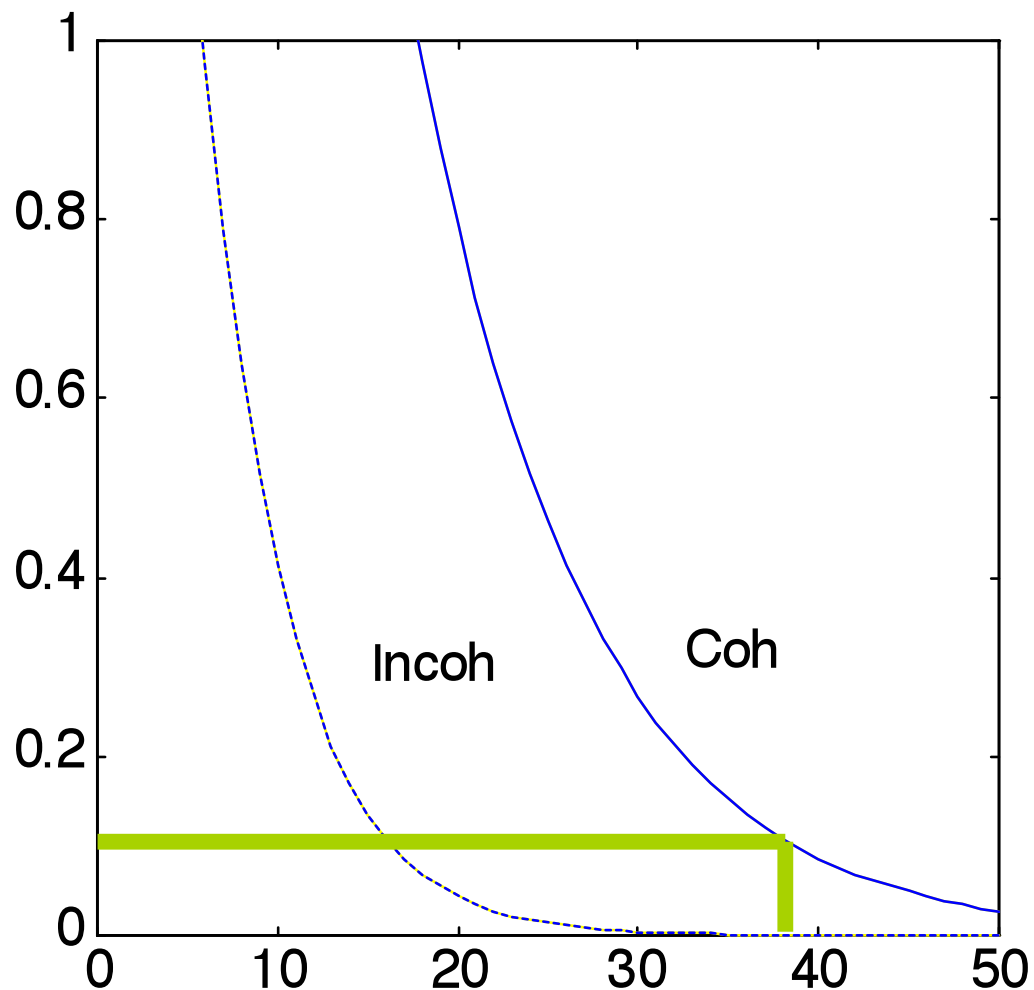


Characteristic	RADARSAT-1 Requirement	Units
RCS at Maximum Gain	64.00	dBm ²
RCS gain adjustment	58-64	dBm ²
Calibration Accuracy (absolute) ^[1]	0.25	dBm ²
Cross-Calibration Accuracy ^[2]	0.15	dBm ²
Overall Stability	0.10	dB

^[1] Defined as the range of residual uncertainties in the value of RCS after a calibration routine on the transponder has been carried out.

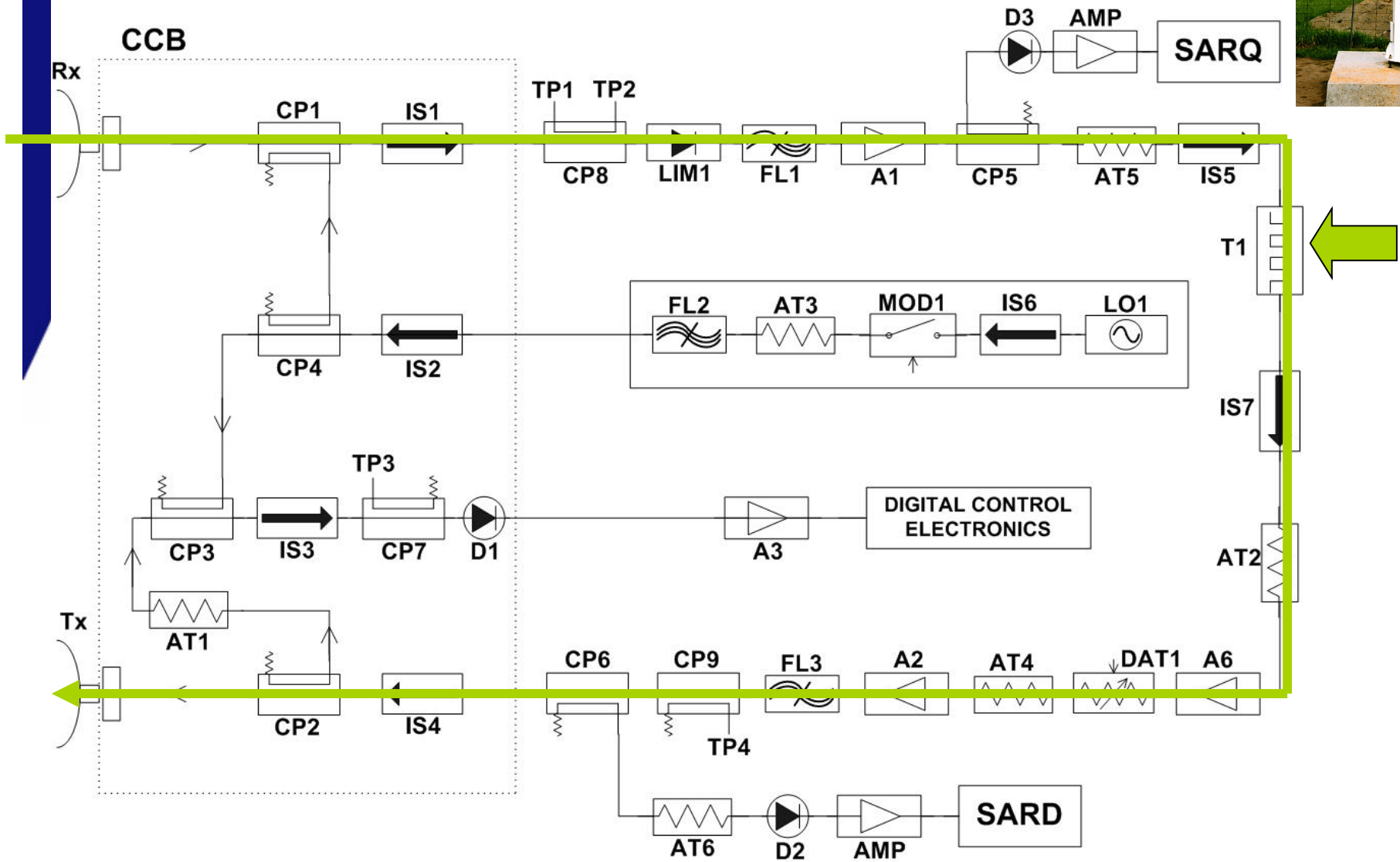
^[2] Defined as the residual uncertainty in the relative value of RCS when cross-comparing any two transponders.

Fading Error with Clutter

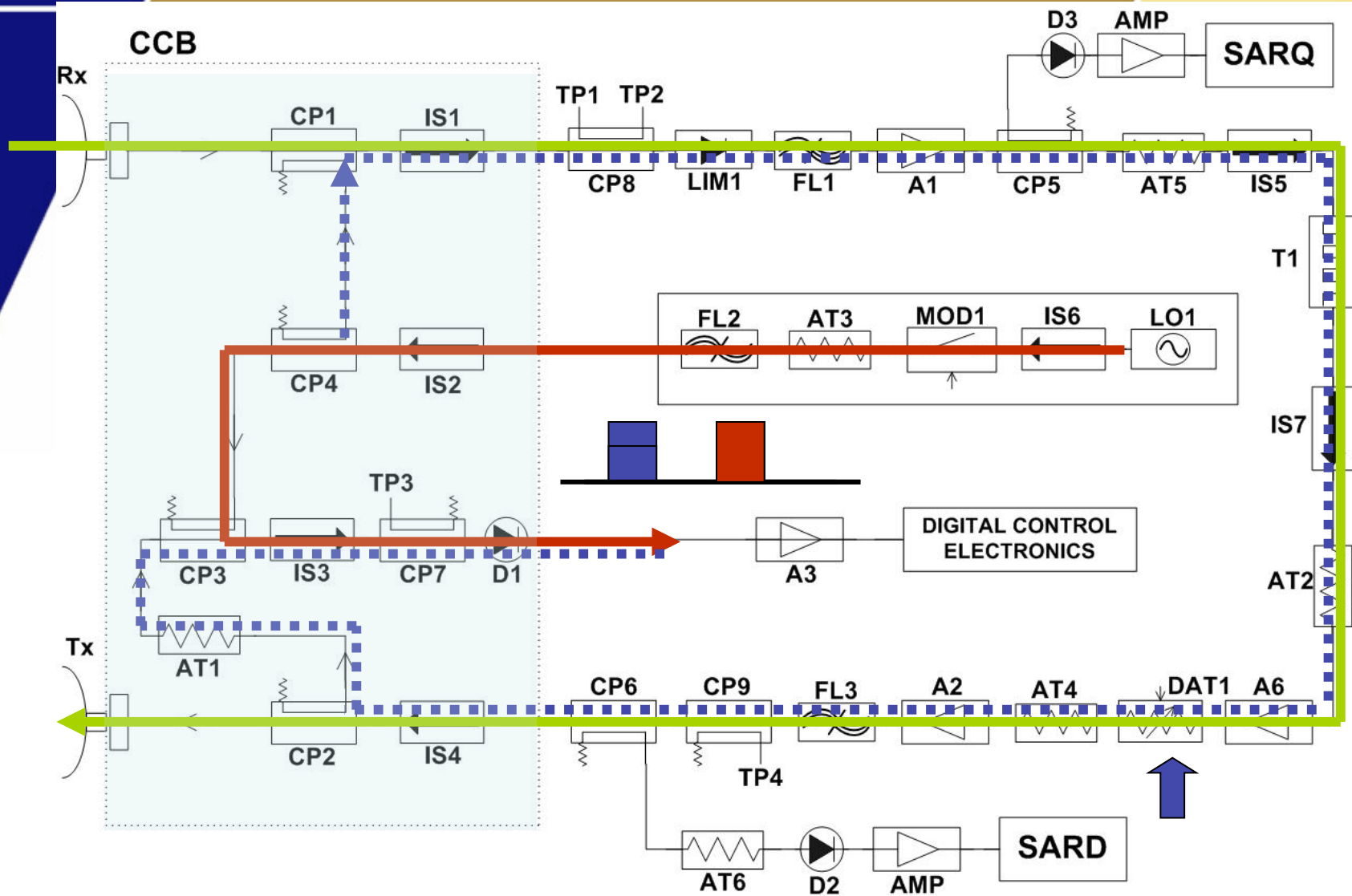


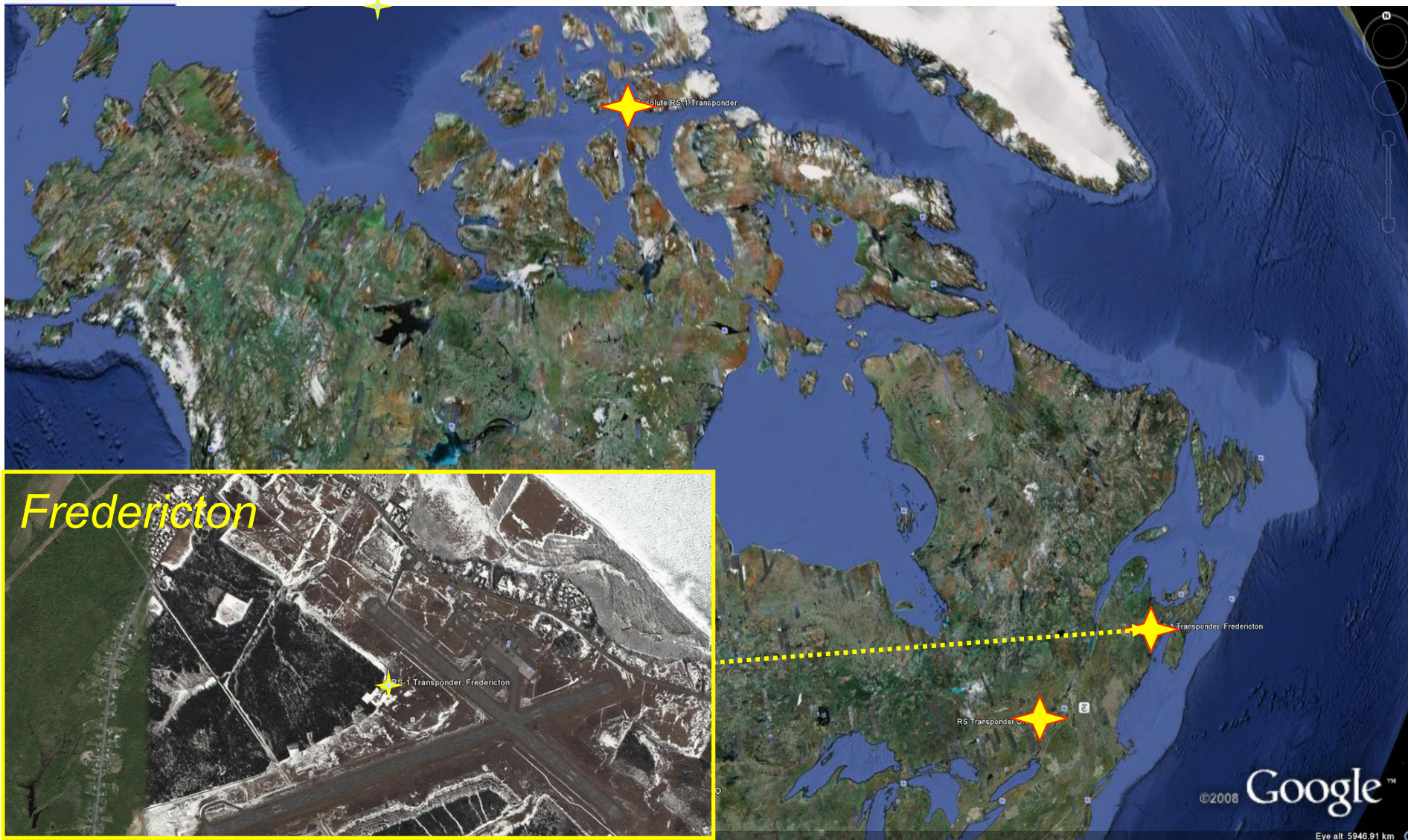
$$\sigma > \sigma^o A + 40$$
$$> 54 \text{ dBm}^2$$

RF Design



RF Design- Internal Calibration

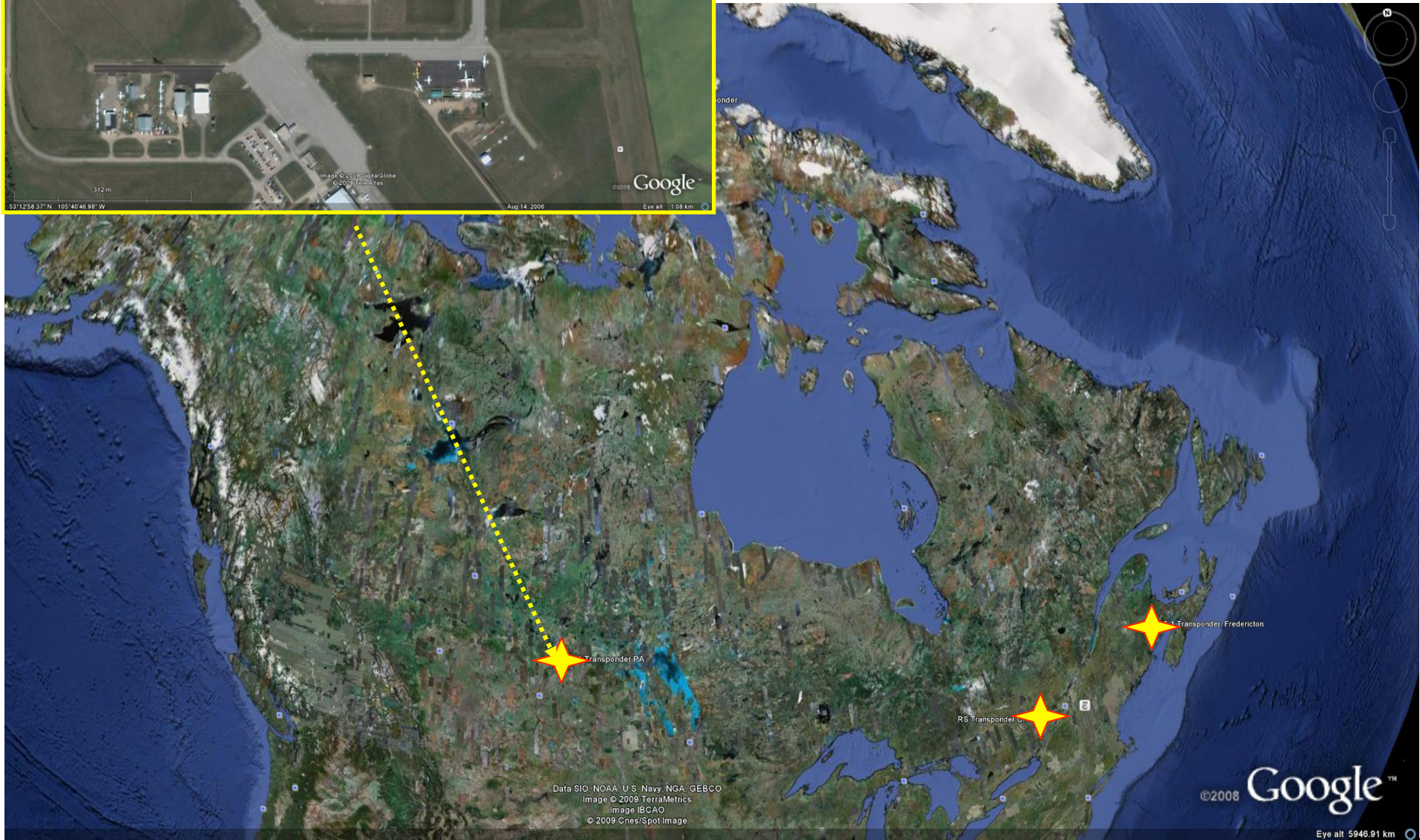




Fredericton



PA



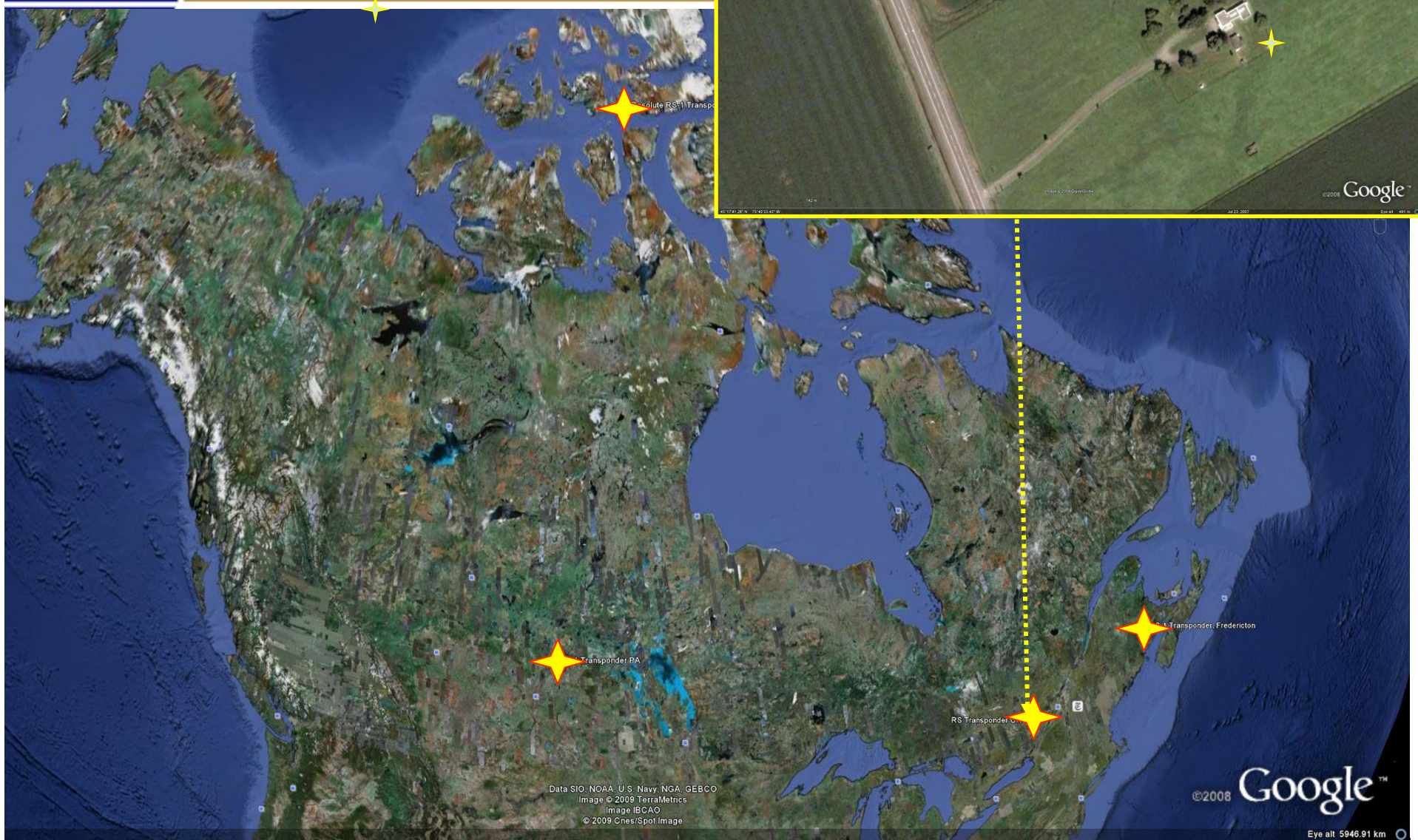
Natural Resources
Canada

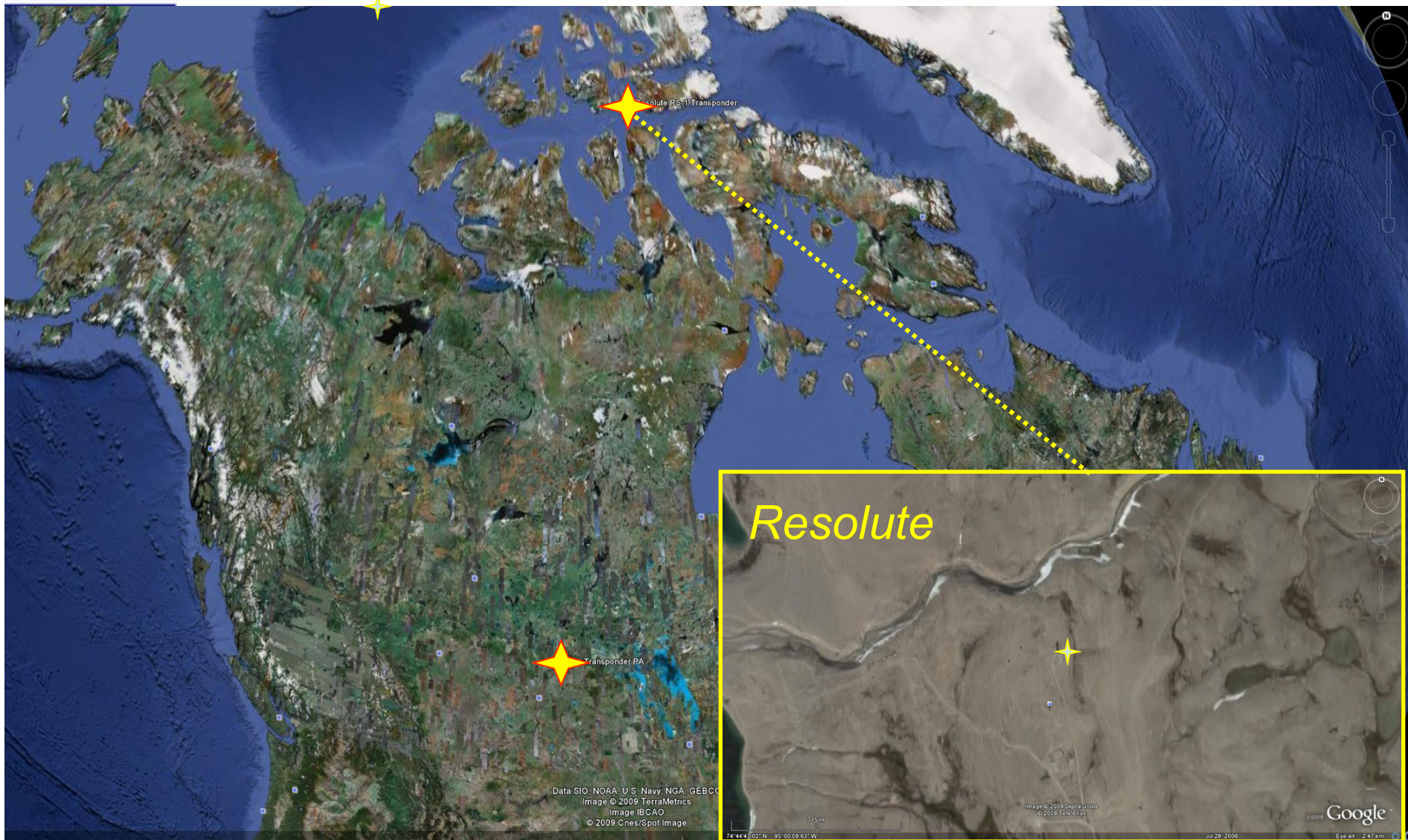
Ressources naturelles
Canada

RK Hawkins

Nov 2009

Canada







Natural Resources
Canada

Ressources naturelles
Canada

RK Hawkins

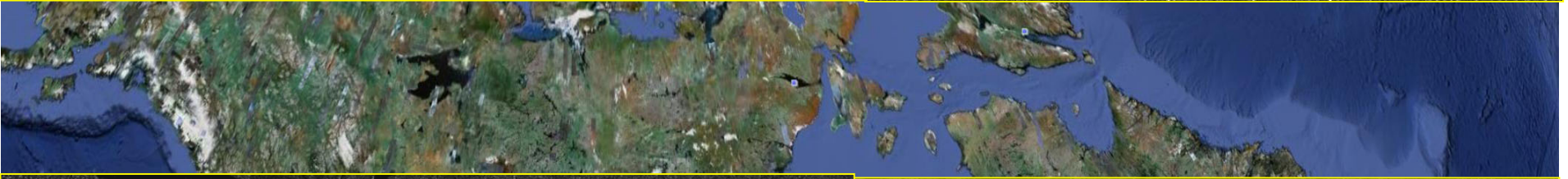
Nov 2009

Canada

Prince Albert



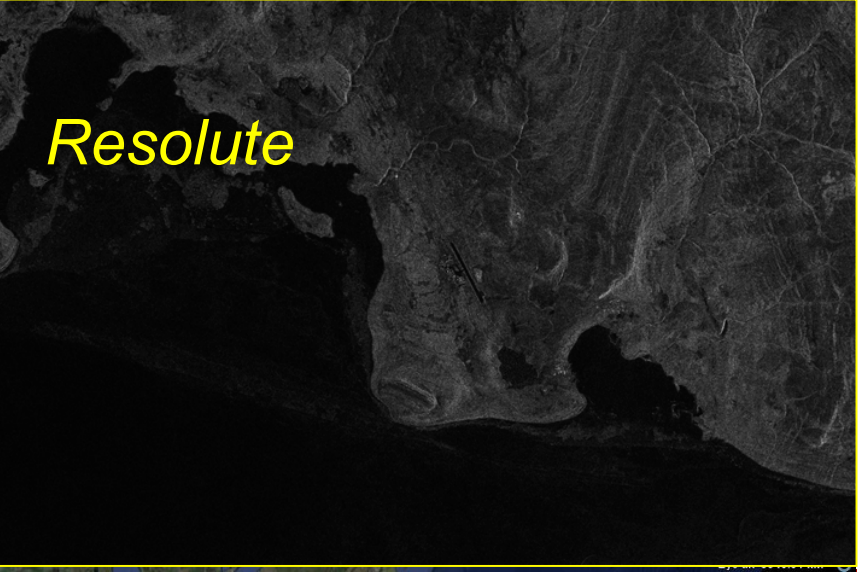
Ottawa

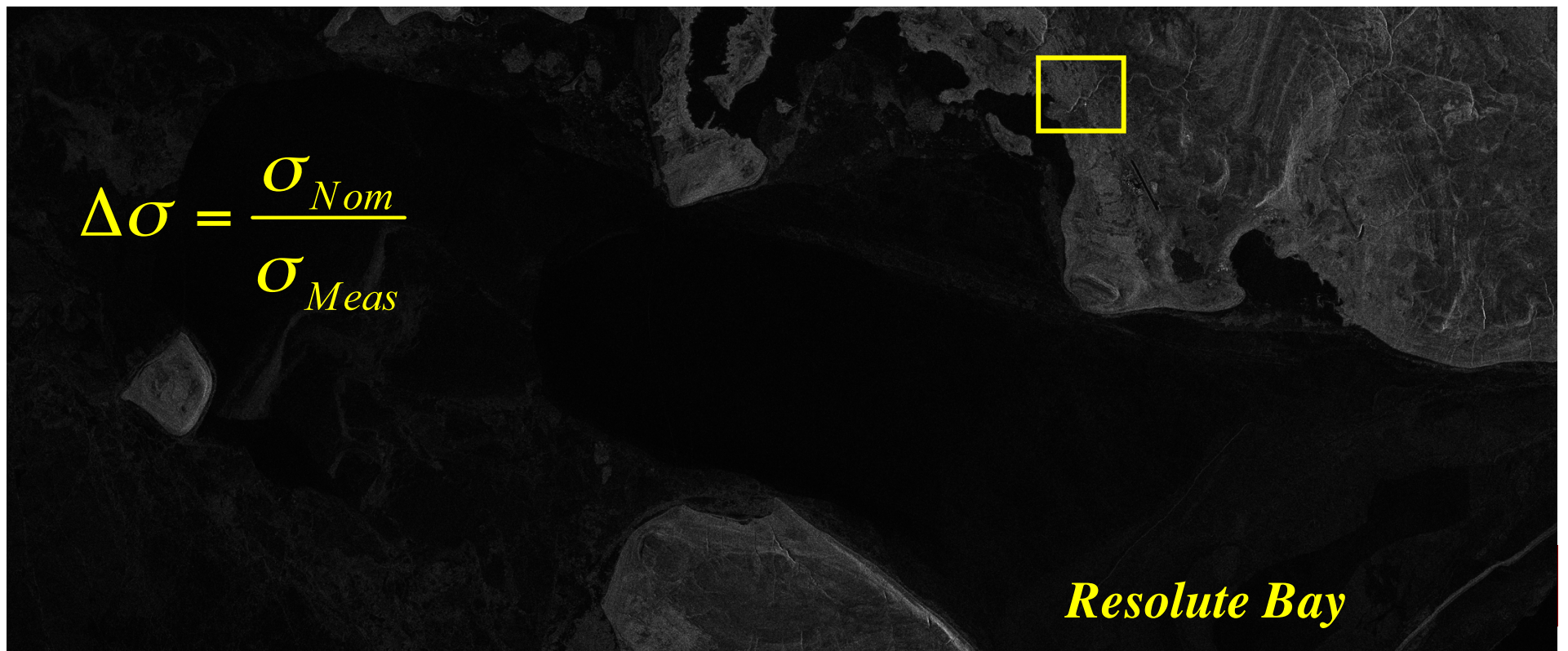
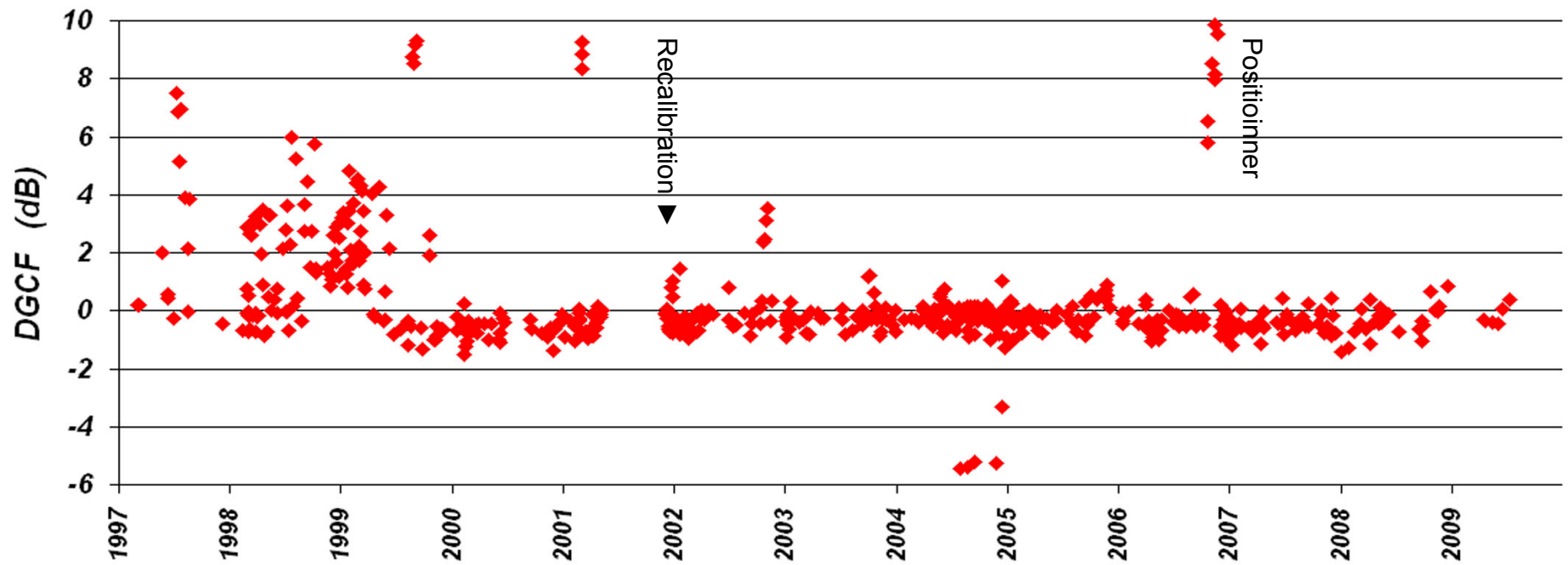


Fredericton



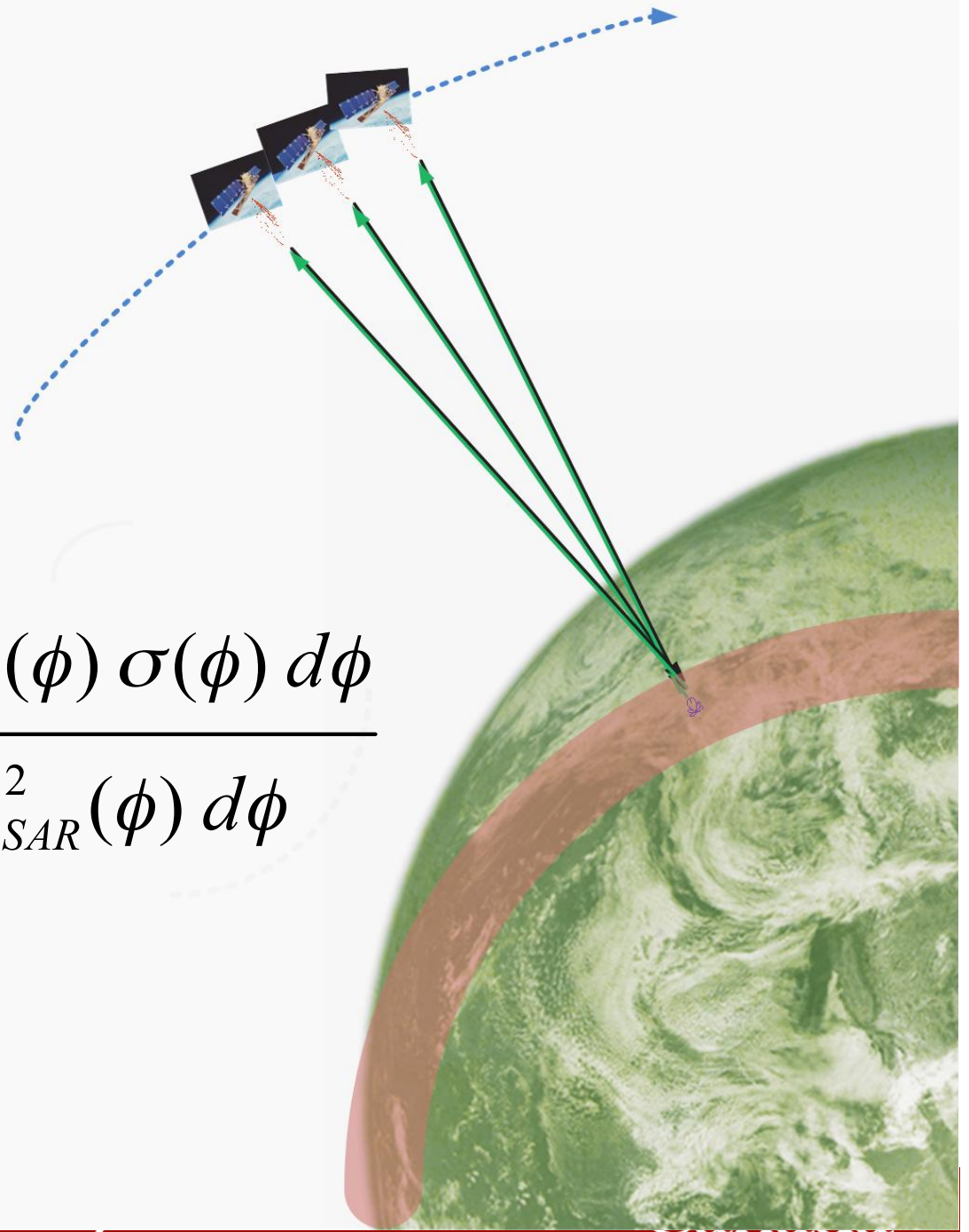
Resolute





RCS over Synthetic Aperture

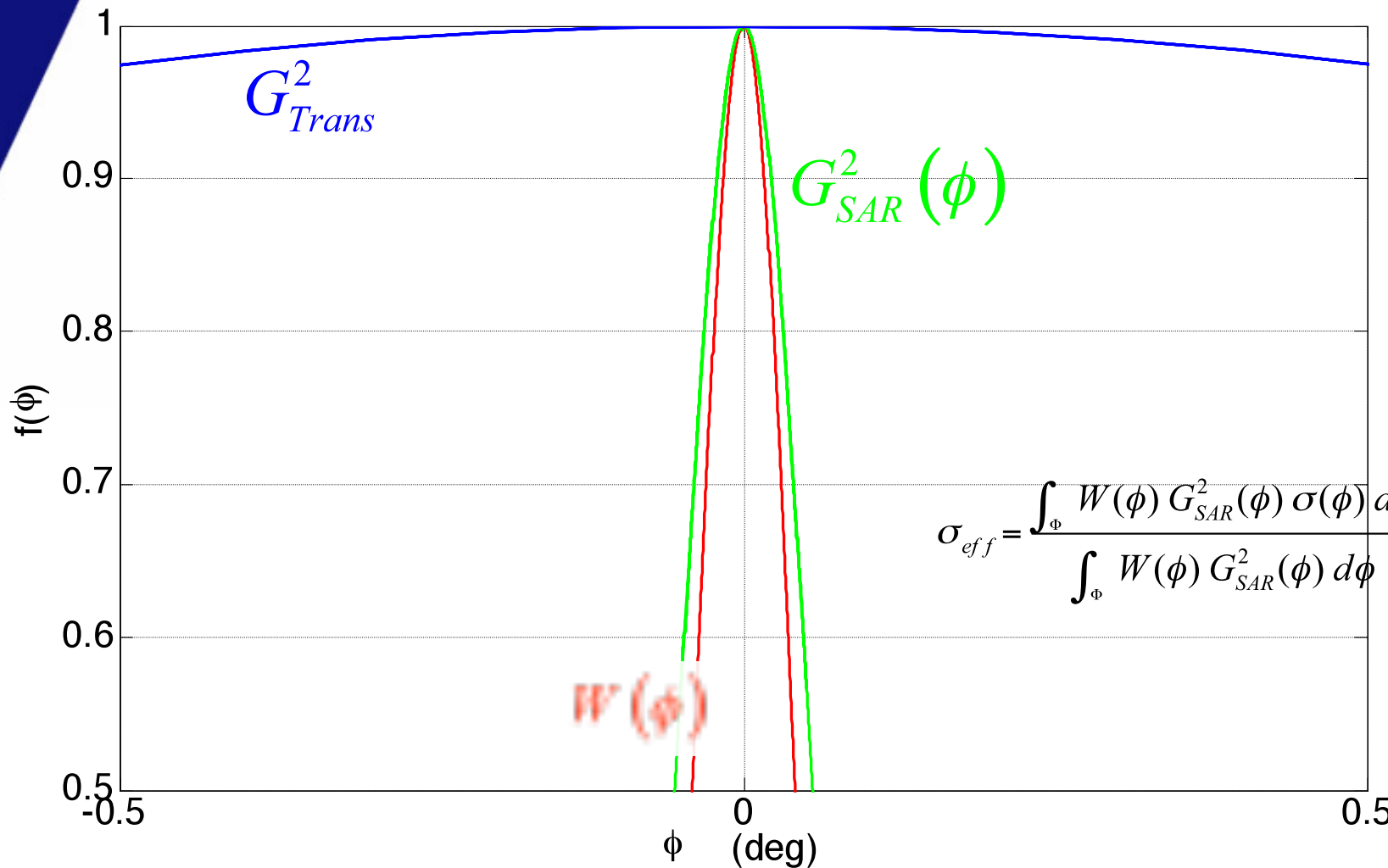
$$\sigma_{eff} = \frac{\int_{\Phi} W(\phi) g_{SAR}^2(\phi) \sigma(\phi) d\phi}{\int_{\Phi} W(\phi) g_{SAR}^2(\phi) d\phi}$$



Pattern Over Synthetic Aperture



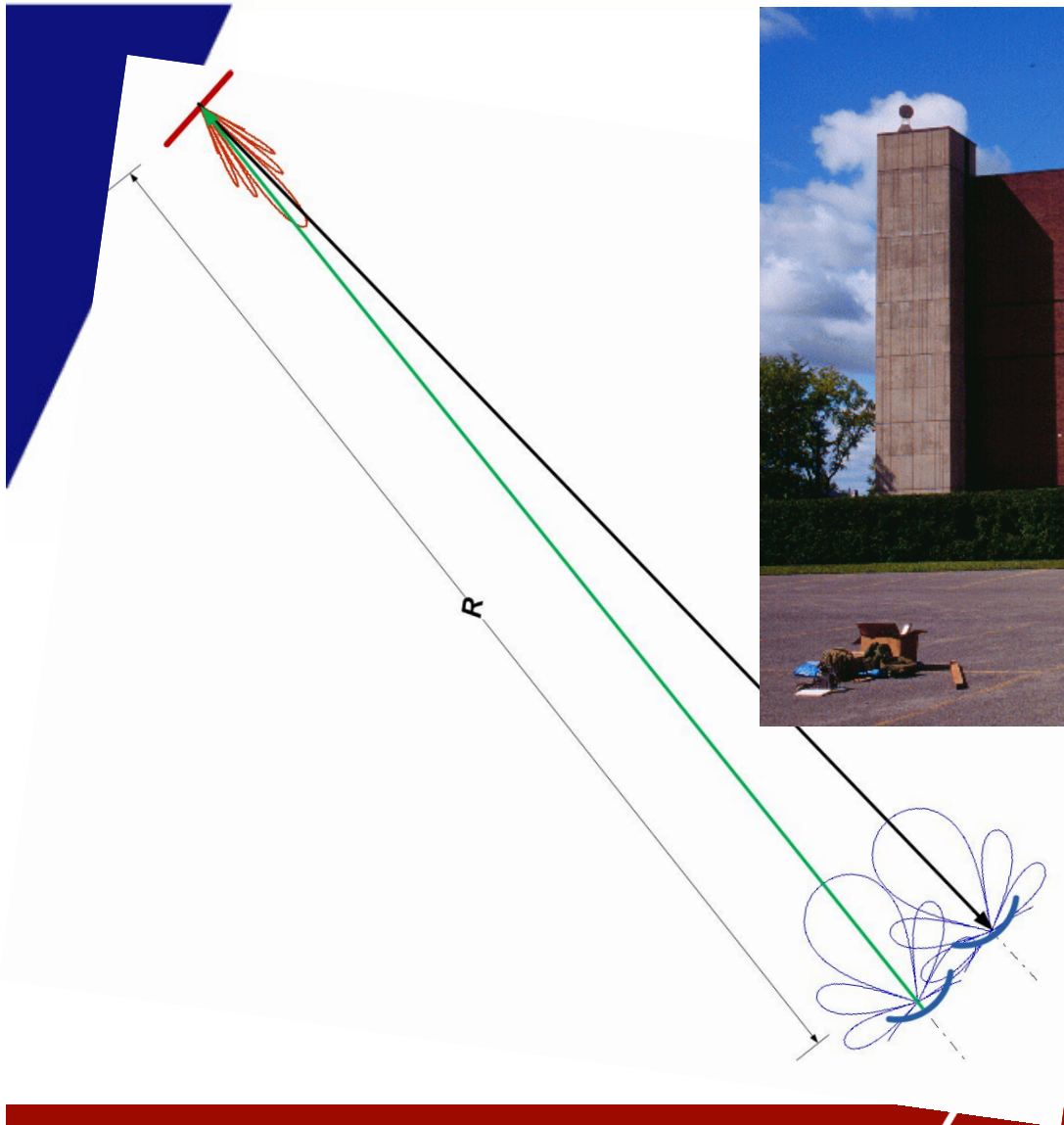
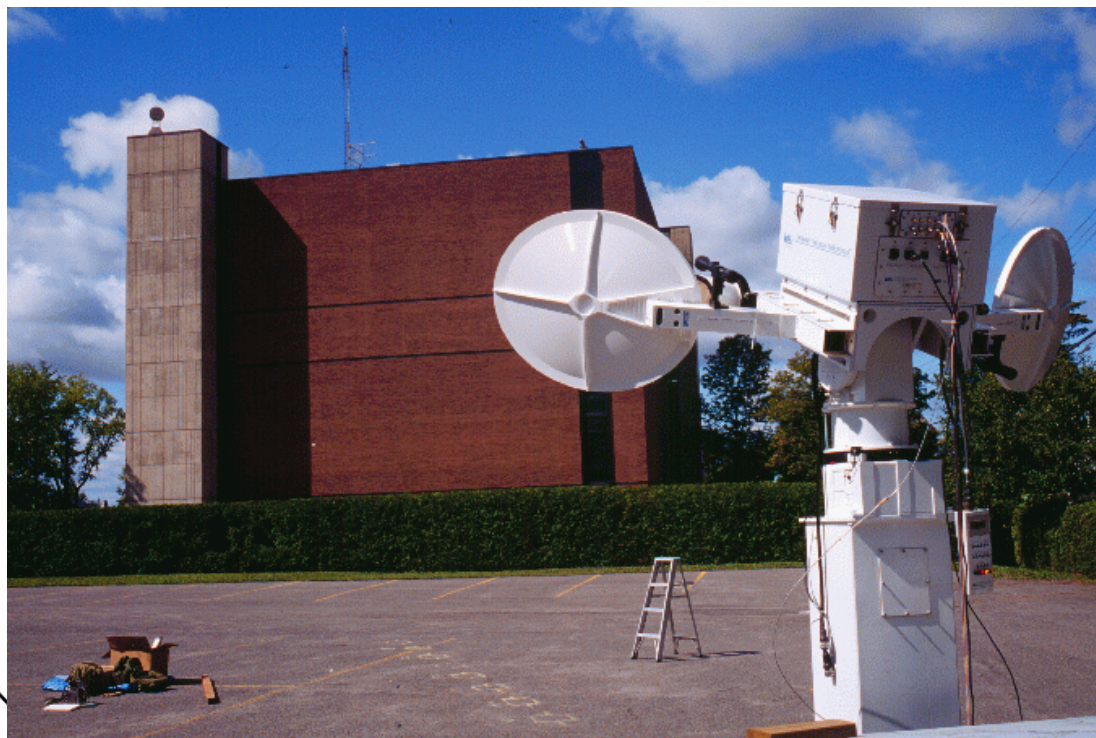
$$\Delta\sigma \sim 3 \times 10^{-4} \text{ dB}$$



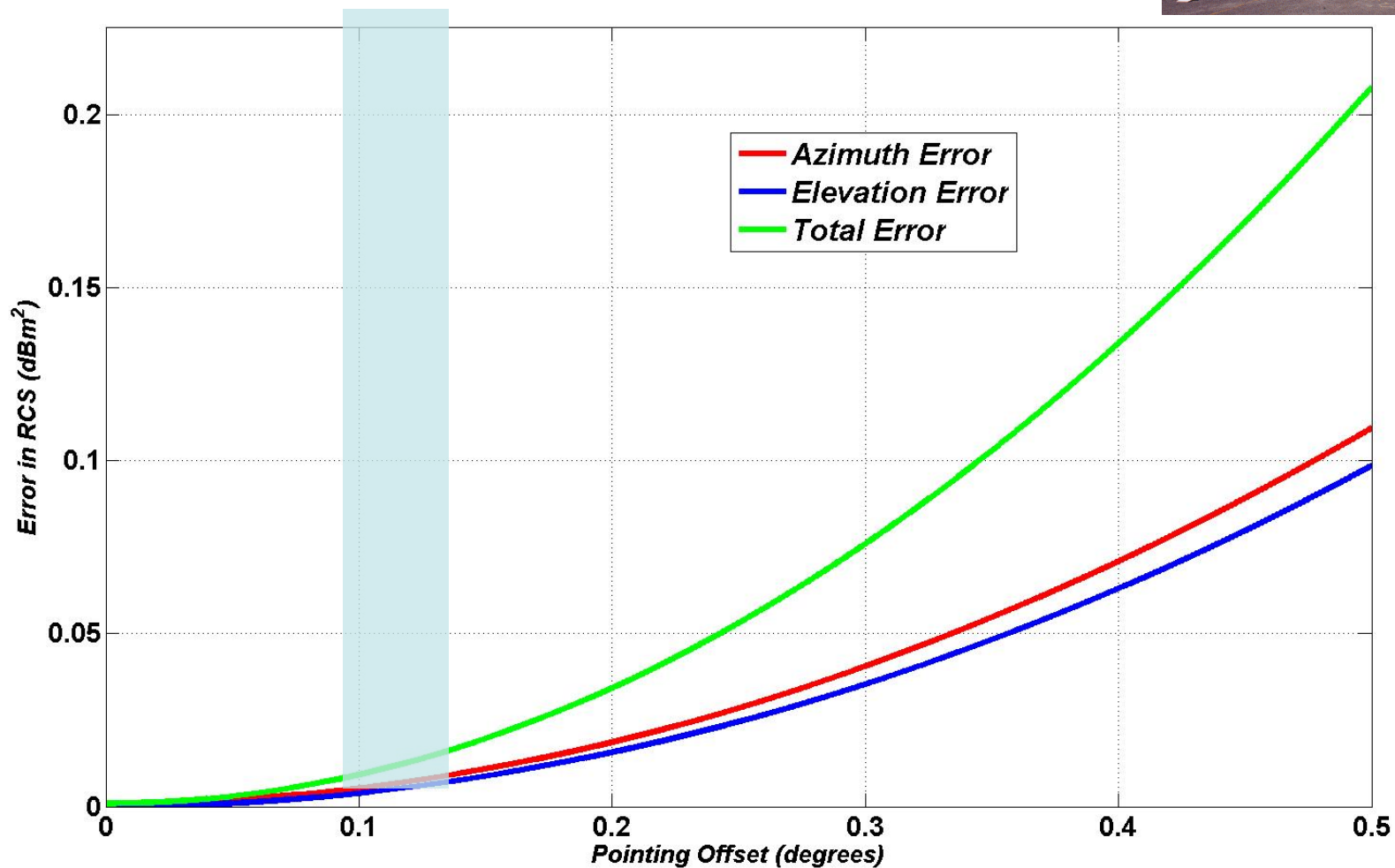
$$\sigma_{eff} = \frac{\int_{\phi} W(\phi) G_{SAR}^2(\phi) \sigma(\phi) d\phi}{\int_{\phi} W(\phi) G_{SAR}^2(\phi) d\phi}$$



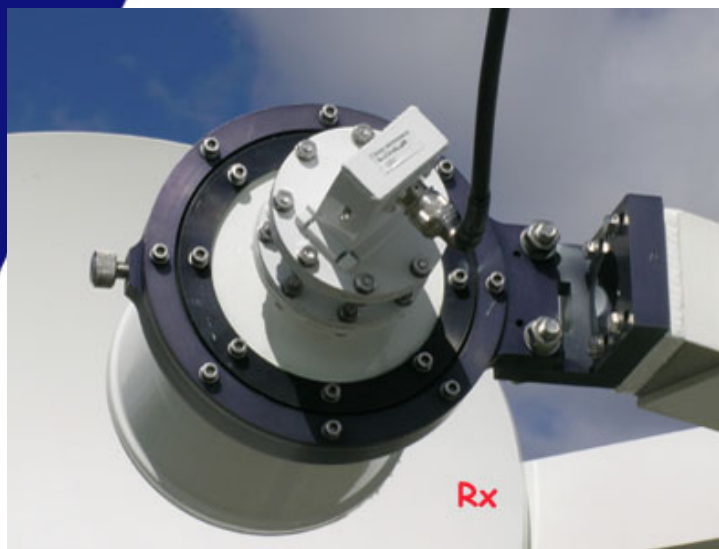
Calibration with Flat Plate



Illumination Integral over Flat Plate

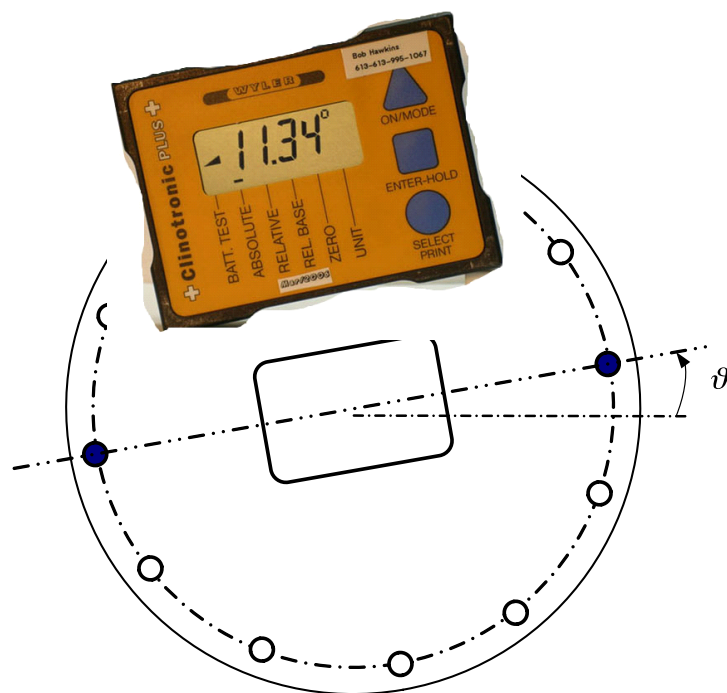


Polarization Measurements



- Tapered pin sets polarization
- H, V, 45°

Measurement wrt WG





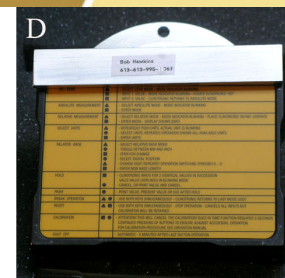
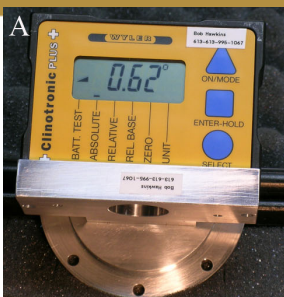
TEST MEASUREMENTS



16:14



TEST MEASUREMENTS



Test Measurement Results



Location	Ottawa, ON0			
Date	March 30, 2006		ϕ_{az} 0	θ_{el} 0
Temp/Time	15.0/11:00	16.5/11:30	16.5/12:00	16.8/13:00
Nom Pol	Jig Normal		Jig Reverse	
	Level Normal	Level Reverse	Level Normal	Level Reverse
(90) Rx V	◀0.24	▶0.17	◀0.22	▶0.17
(0) Rx...H	◀0.21	◀0.26	◀0.20	▶0.25
(45) Rx. 45	◀45.20	▶45.14	◀45.19	▶45.14
(90) Tx V	▶0.53	◀0.54	◀0.53	▶0.50
(0) Tx...H	▶0.55	▶0.49	▶0.55	▶0.50
(45) Tx. 45	◀44.46	▶44.40	◀44.43	▶44.46



How polarization change?



$$\vec{P}_{Rx}^{Trans} = \vec{M}(\theta_{Rx}^{Trans}) \vec{P}_{Rx_{nom}}^{Trans}$$

$$\theta_{Rx}^{Trans} = \begin{cases} \vartheta_r & \text{Clinotronic Normal} \\ \vartheta_r + 90^\circ & \text{Clinotronic Perpendicular} \end{cases}$$

$$\theta_{Tx}^{Trans} = - \begin{cases} \vartheta_r & \text{Clinotronic Normal} \\ \vartheta_r + 90^\circ & \text{Clinotronic Perpendicular} \end{cases}$$

$$\vec{P}_{Rx_{nom}}^{Trans} = \vec{P}_{Tx_{nom}}^{Trans} = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$$

$$\vec{M}(\theta) = \begin{pmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{pmatrix}$$

$$\vec{P}_{Tx}^{Trans} = \vec{M}(\theta_{Tx}^{Trans}) \vec{P}_{Tx_{nom}}^{Trans}$$

How polarization change?



$$\vec{P}_{Rx}^{Trans} = \vec{M}(\theta_{Rx}^{Trans}) \vec{P}_{Rx_{nom}}^{Trans}$$

$$\theta_{Rx}^{Trans} = \begin{cases} \vartheta_r & \text{Clinotronic Normal} \\ \vartheta_r + 90^\circ & \text{Clinotronic Perpendicular} \end{cases}$$

$$\theta_{Tx}^{Trans} = - \begin{cases} \vartheta_r & \text{Clinotronic Normal} \\ \vartheta_r + 90^\circ & \text{Clinotronic Perpendicular} \end{cases}$$

$$\vec{P}_{Rx_{nom}}^{Trans} = \vec{P}_{Tx_{nom}}^{Trans} = \begin{bmatrix} 0 \\ 1 \end{bmatrix}$$

$$\vec{M}(\theta) = \begin{pmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{pmatrix}$$

$$\vec{P}_{Tx}^{Trans} = \vec{M}(\theta_{Tx}^{Trans}) \vec{P}_{Tx_{nom}}^{Trans}$$

Impact on Effective RCS?



$$\begin{pmatrix} \sigma_{HH} & \sigma_{HV} \\ \sigma_{VH} & \sigma_{VV} \end{pmatrix} = \sigma \begin{pmatrix} \cos^2 \theta_r^m \cos^2 \theta_t^m & \cos^2 \theta_r^m \sin^2 \theta_t^m \\ \sin^2 \theta_r^m \cos^2 \theta_t^m & \sin^2 \theta_r^m \sin^2 \theta_t^m \end{pmatrix}$$
$$= \frac{\sigma}{4} \begin{pmatrix} \left[\cos(\theta_r^m - \theta_t^m) + \cos(\theta_r^m + \theta_t^m) \right]^2 & \left[\sin(\theta_r^m + \theta_t^m) - \sin(\theta_r^m - \theta_t^m) \right]^2 \\ \left[\sin(\theta_r^m + \theta_t^m) + \sin(\theta_r^m - \theta_t^m) \right]^2 & \left[\cos(\theta_r^m - \theta_t^m) - \cos(\theta_r^m + \theta_t^m) \right]^2 \end{pmatrix}$$

What happens during Calibration?

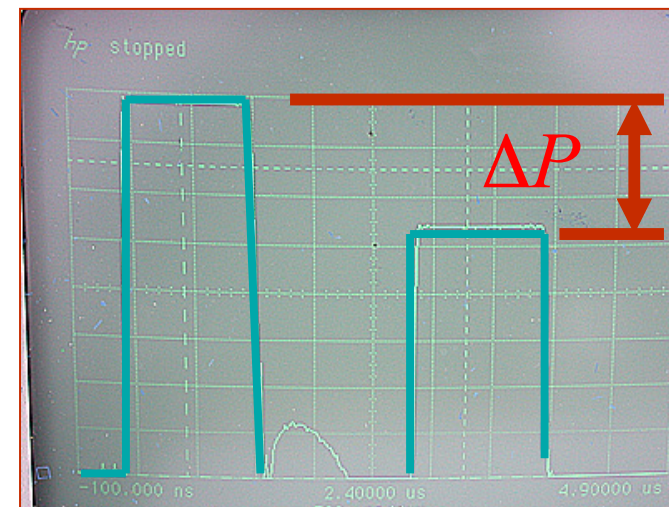
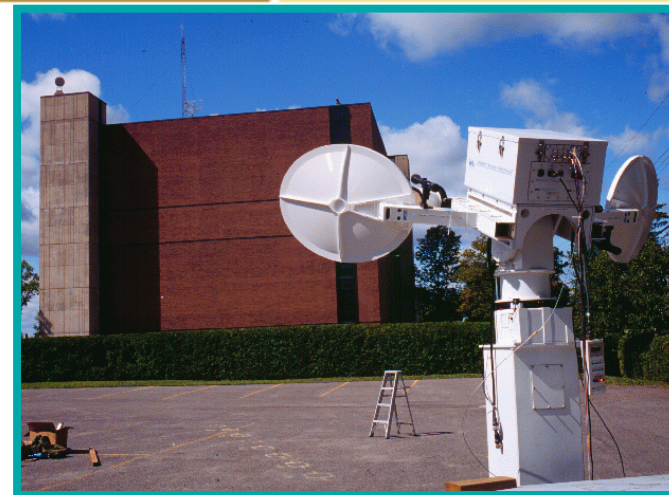


$$\sigma = \frac{64\lambda^2}{\pi} \left(\frac{R}{D} \right)^2 \Delta P_o$$

$$\Delta P = \Delta P_o \cos^2(\theta'_t - \theta'_r)$$

$$\begin{aligned} \sigma_m &= \sigma \cos^2(\theta'_t - \theta'_r) \\ &= \sigma \cos^2(\theta_t^m - \theta_r^m) \end{aligned}$$

$$\begin{aligned} \begin{pmatrix} \sigma_{HH} & \sigma_{HV} \\ \sigma_{VH} & \sigma_{VV} \end{pmatrix} &= \sigma_m \begin{pmatrix} \sigma \\ \sigma_m \end{pmatrix} \\ &= \sigma_m \frac{\begin{pmatrix} \cos^2 \theta_r^m \cos^2 \theta_t^m & \cos^2 \theta_r^m \sin^2 \theta_t^m \\ \sin^2 \theta_r^m \cos^2 \theta_t^m & \sin^2 \theta_r^m \sin^2 \theta_t^m \end{pmatrix}}{\cos^2(\theta_t^m - \theta_r^m)} \end{aligned}$$



Impact on Effective RCS?



$$\begin{bmatrix} \Delta\sigma_{HH} & \Delta\sigma_{HV} \\ \Delta\sigma_{VH} & \Delta\sigma_{VV} \end{bmatrix} = \begin{bmatrix} -0.04 & 0.13 \\ -0.09 & 0.08 \end{bmatrix} \text{ dBm}^2$$

$$\begin{pmatrix} \theta_{Rx} \\ \theta_{Tx} \end{pmatrix} = \begin{pmatrix} 45.17^\circ \\ 44.44^\circ \end{pmatrix}$$

Transponder Generations



<i>Polarizations</i>	<i>f_o</i> (GHz)	<i>MHz</i>
$S_{ERS-1} = \begin{pmatrix} 0 & 0 \\ 0 & VV \end{pmatrix}$	5.300	15
$S_{RADARSAT-1} = \begin{pmatrix} HH & HV \\ VH & VV \end{pmatrix}$	5.300	30
$S_{Envisat} = \begin{pmatrix} 0 & 0 \\ 0 & VV \end{pmatrix}$ or $\begin{pmatrix} HH & 0 \\ 0 & 0 \end{pmatrix}$ or $\begin{pmatrix} 0 & HV \\ 0 & 0 \end{pmatrix}$ or $\begin{pmatrix} 0 & 0 \\ VH & 0 \end{pmatrix}$	5.331	16
$S_{RADARSAT-2} = \begin{pmatrix} 0 & 0 \\ 0 & VV \end{pmatrix}$ or $\begin{pmatrix} HH & 0 \\ 0 & 0 \end{pmatrix}$ or $\begin{pmatrix} 0 & HV \\ 0 & 0 \end{pmatrix}$ or $\begin{pmatrix} 0 & 0 \\ VH & 0 \end{pmatrix}$ or $\begin{pmatrix} HH & HV \\ VH & VV \end{pmatrix}$ or $\begin{pmatrix} HH & HV \\ VH & VV \end{pmatrix}$ $\begin{pmatrix} HH & 0 \\ VH & 0 \end{pmatrix}$ or $\begin{pmatrix} 0 & HV \\ 0 & VV \end{pmatrix}$ or $\begin{pmatrix} HH & HV \\ 0 & 0 \end{pmatrix}$ or $\begin{pmatrix} 0 & 0 \\ VH & VV \end{pmatrix}$	5.405	100



Conclusions



- Does the precise polarization of the satellite needs to be considered in the error budget?
- **The ESA/ESTEC design was comprehensive.**
- Newer satellites present more challenges for calibration targets.

